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# Cosmology and Astrophysics with 3G detectors

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# Where are we?

- Advanced detectors (second generation, 2G) have detected 4 binary black holes (BBH)
  - Component masses measured at few  $\times$  10% level
  - Spins very hard to measure
  - Oriented face-on/off
  - Up to redshift of  $\sim 0.2$
  - See LVC, PRL **118** 221101, PRX **6** 041015

# Where are we?

- We have estimated the merger rate of BBH to be in the range

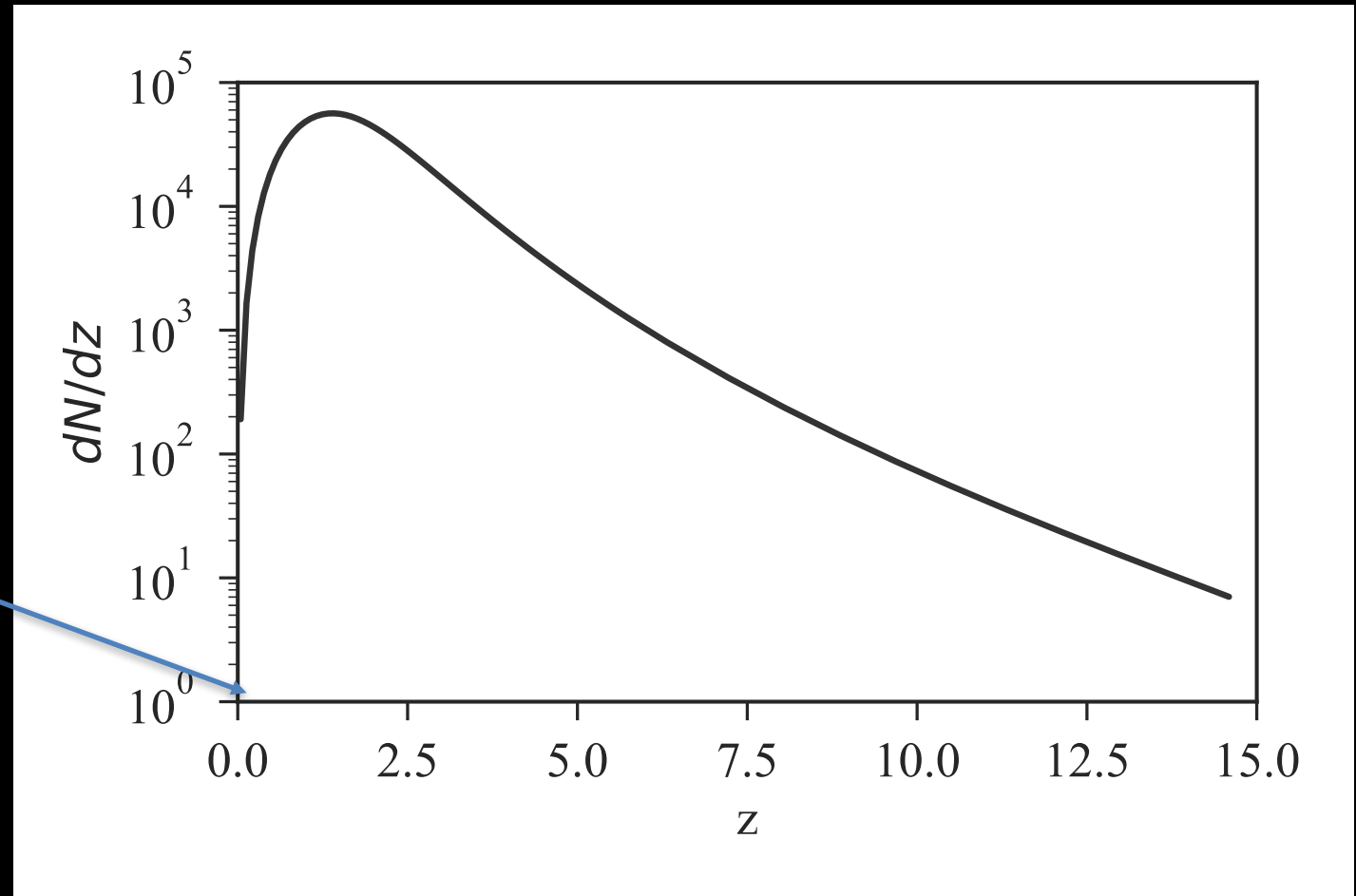
$$12-213 \text{ Gpc}^{-3} \text{ yr}^{-1}$$

LVC, PRL 118 221101

- Will eventually be able to answer many questions:
  - Formation channels
  - Mass function
  - Bounds on deviation from GR
  - More!

# Where are we?

You are here!

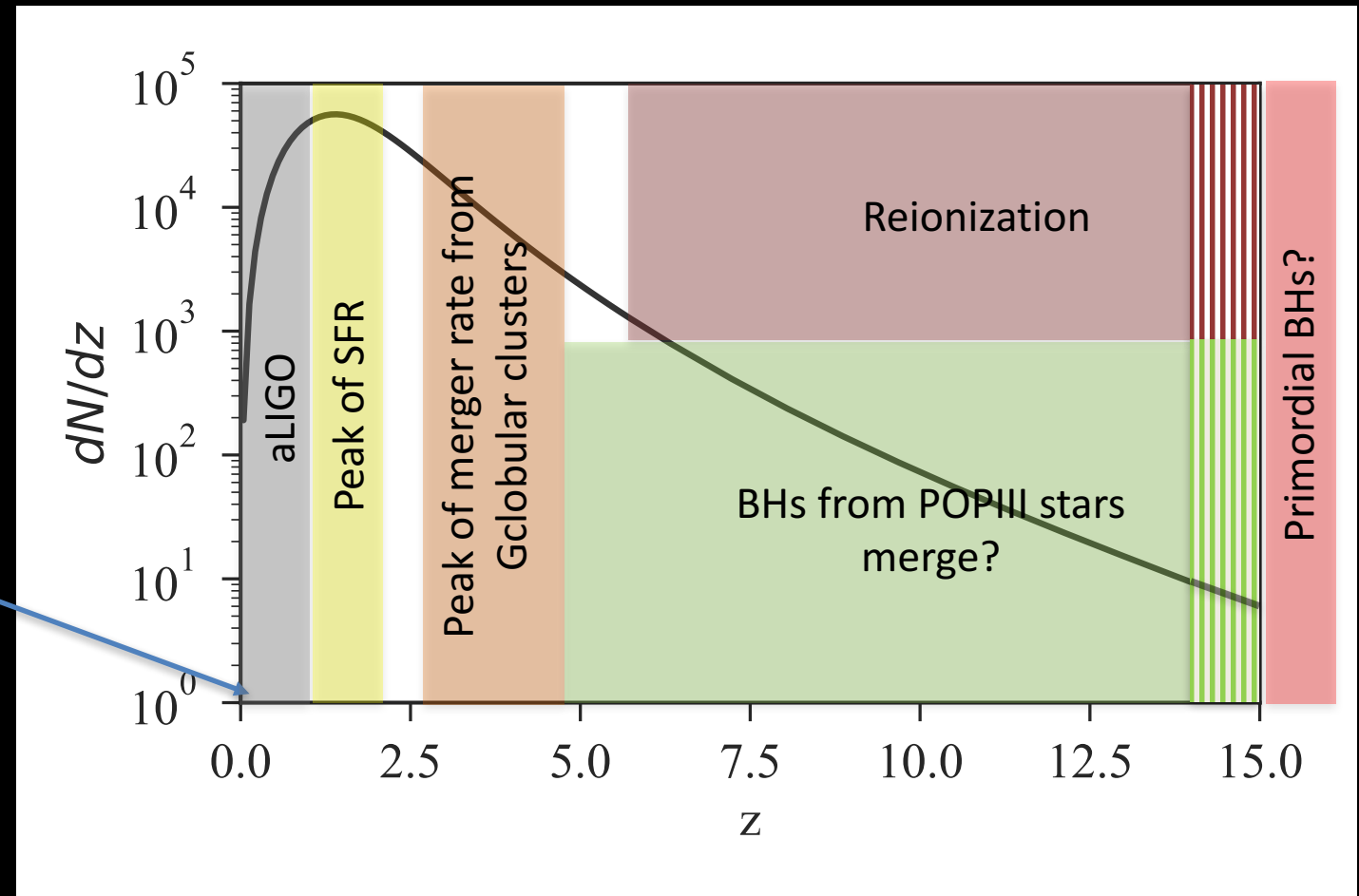


# Where do we go from here?

- With 2G at design, we'll go up to  $z \sim 1$
- If we want to detect BBH at high redshift, we need something else
- Proposed third—generation (3G) ground based detectors will
  - Be a factor of  $\sim >10$  more sensitive than 2G-design
  - Detect BBH from redshifts  $>10$
  - Detect a lot of BBH, with very large signal-to-noise ratio (SNR)

# Where do we go from here?

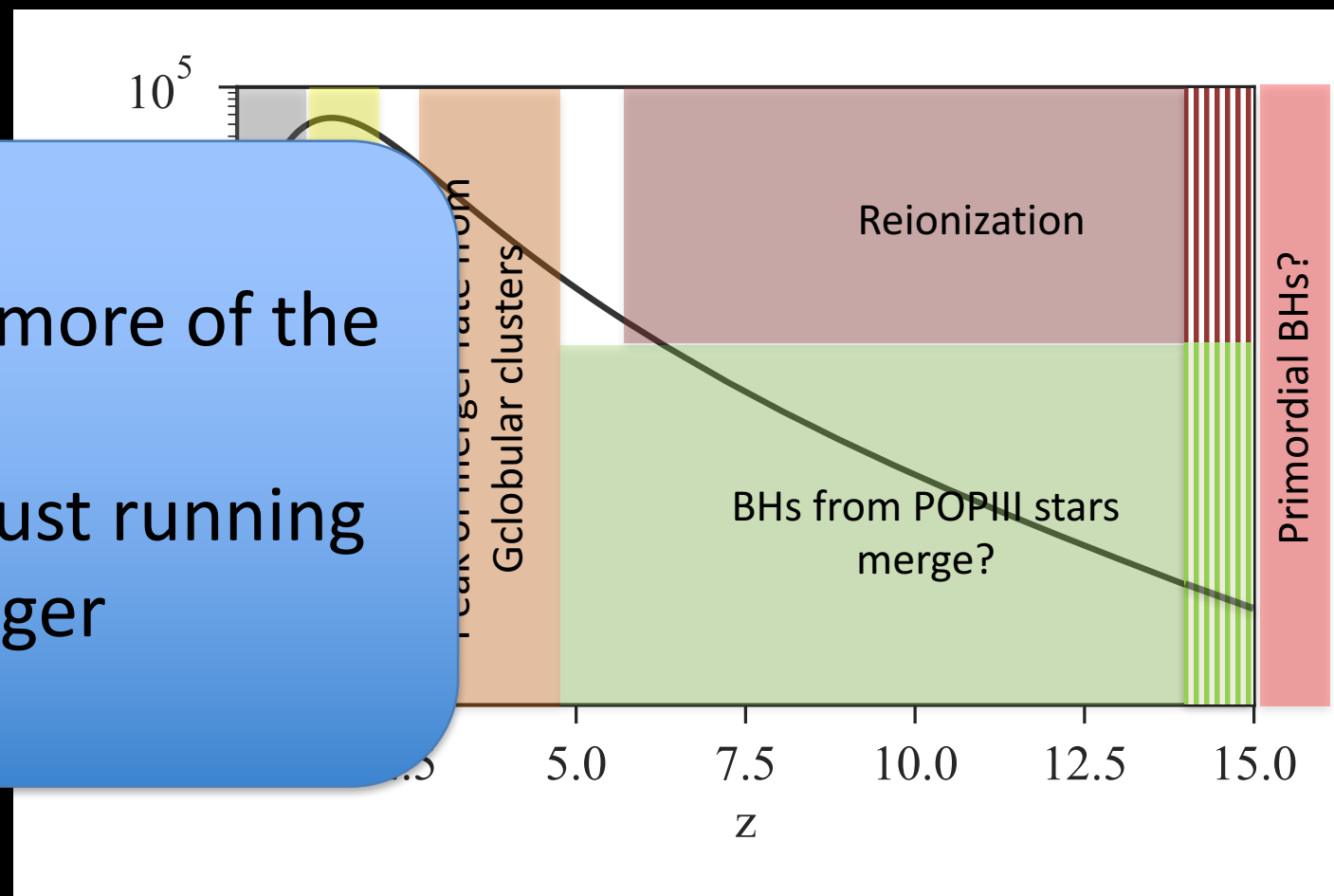
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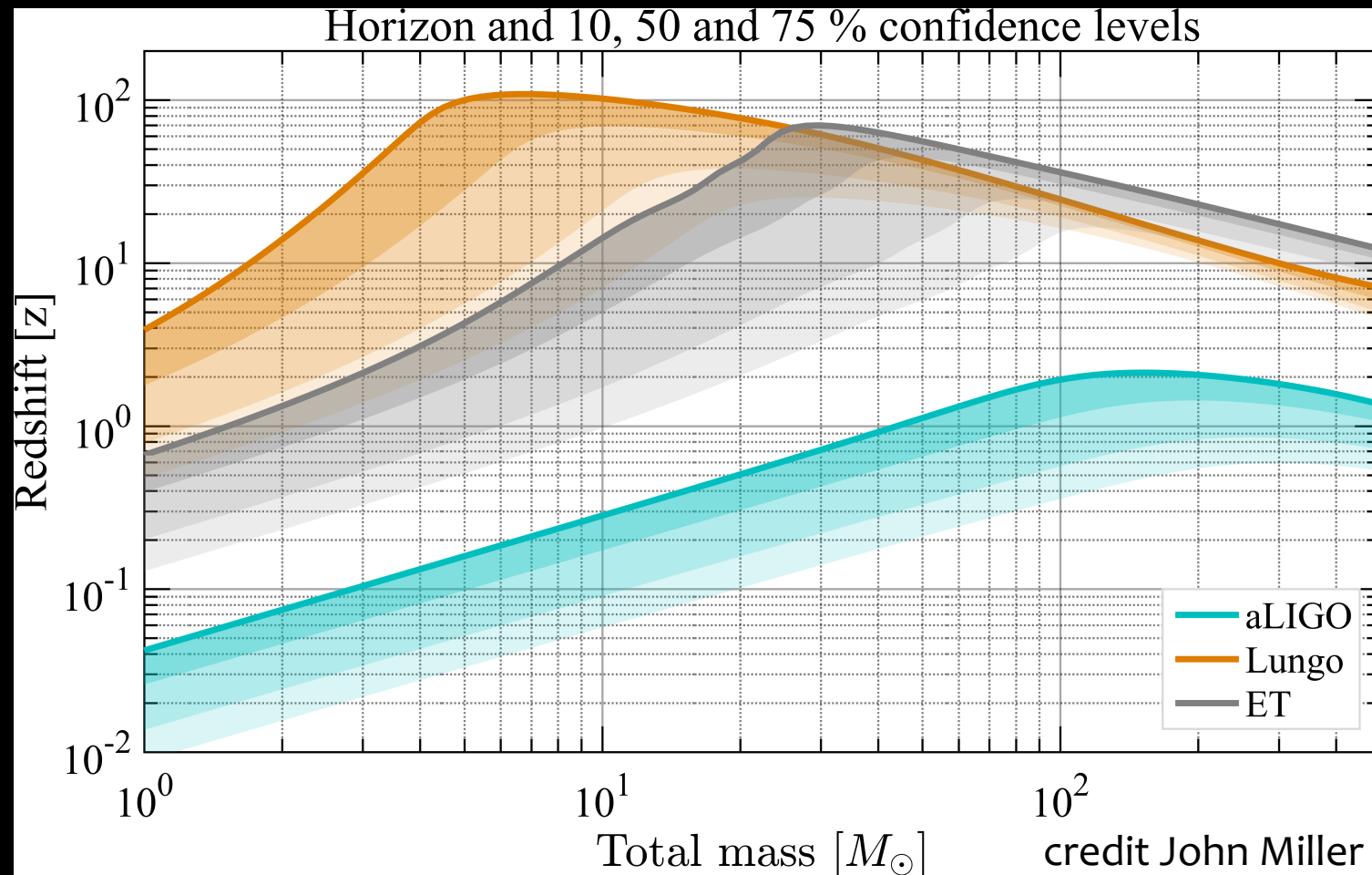
# Where do we go from here?

Going 3G does NOT mean more of the same.

Cannot access 3G events just running 2G  $10^3$  times longer



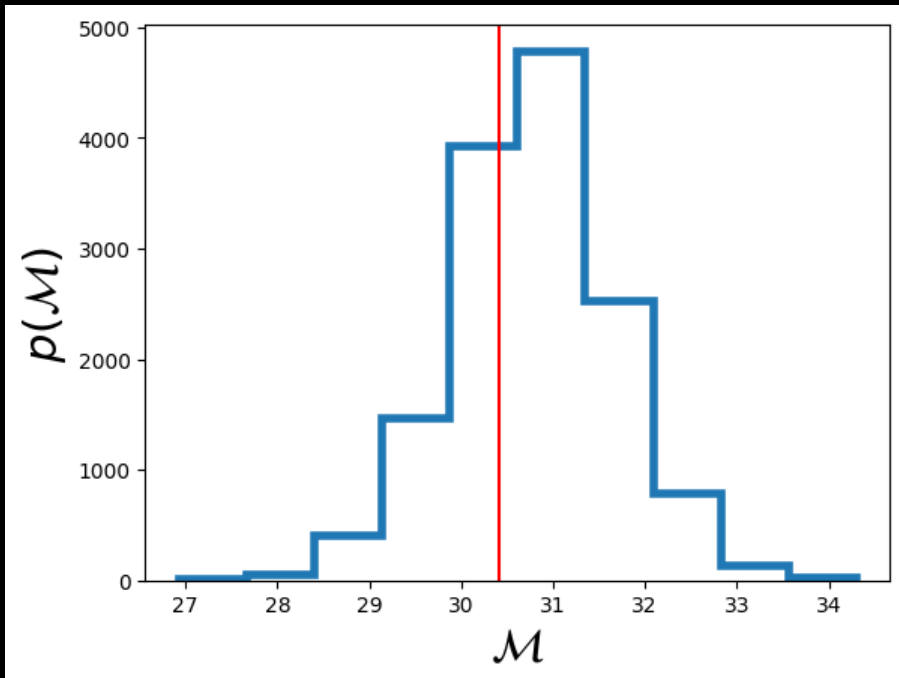
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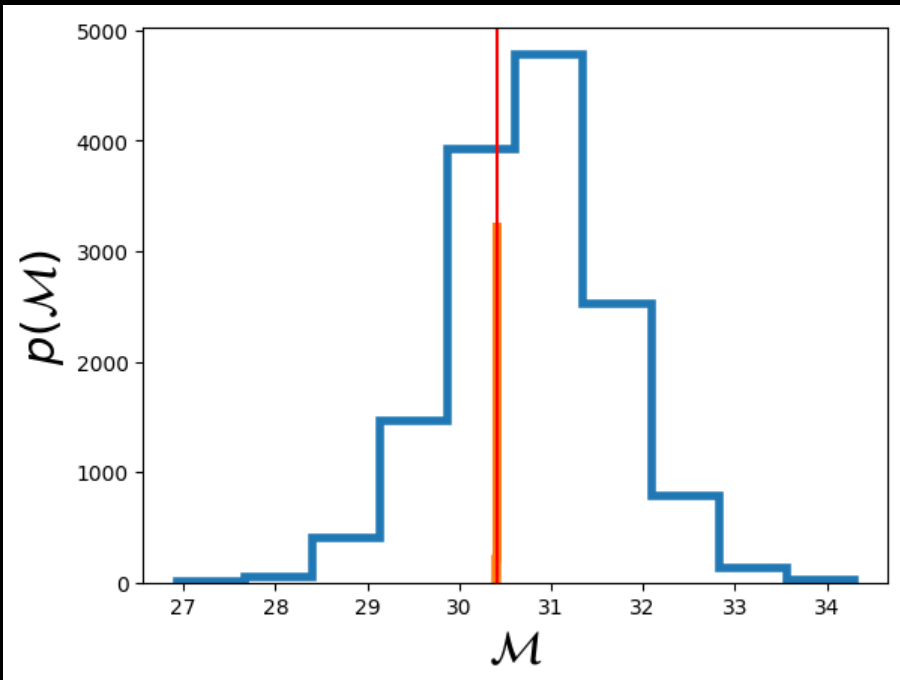


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- How well can we do?

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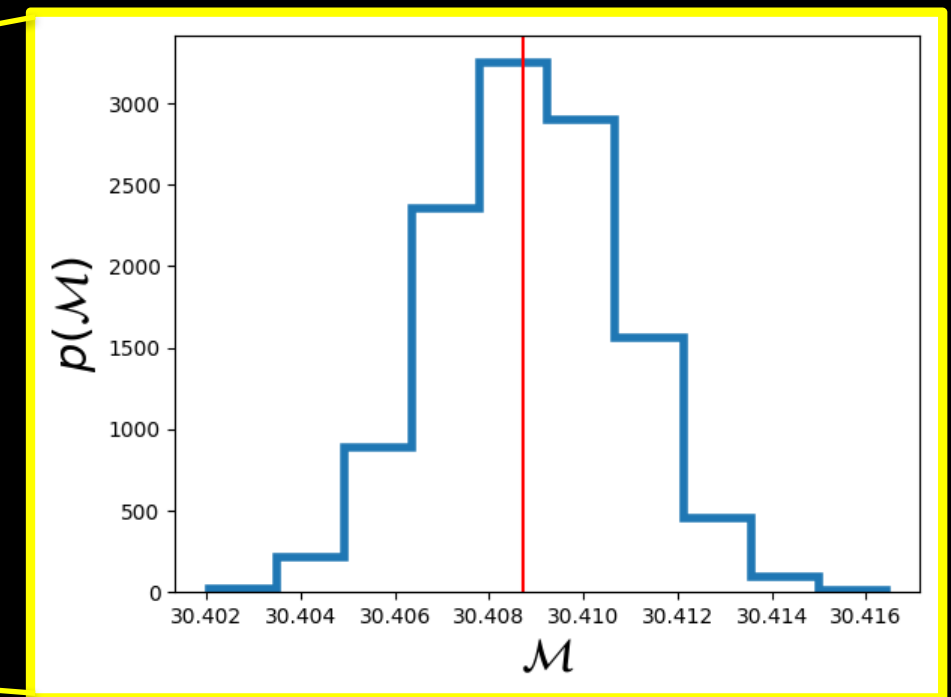
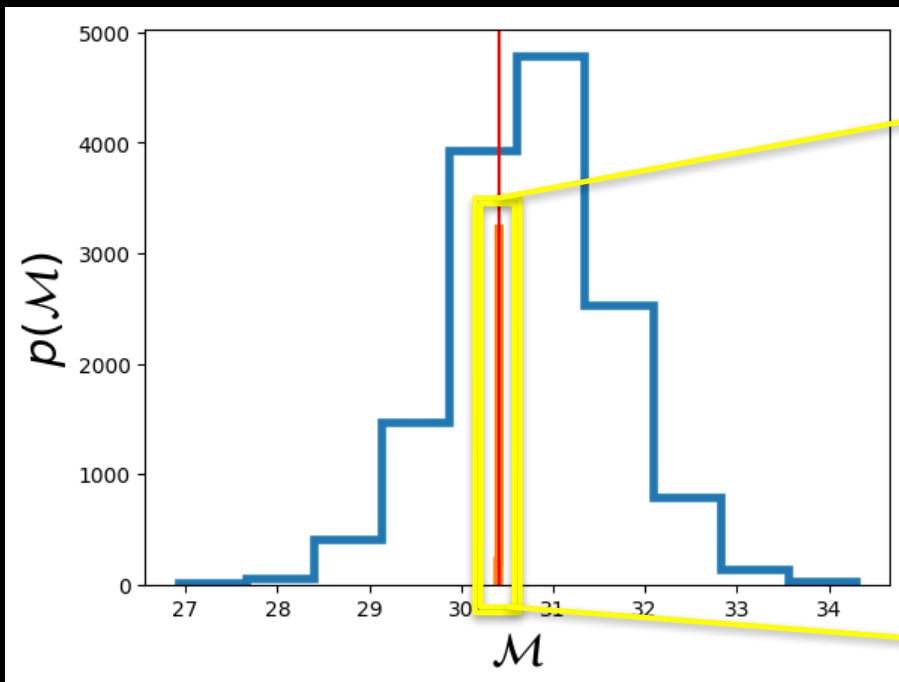


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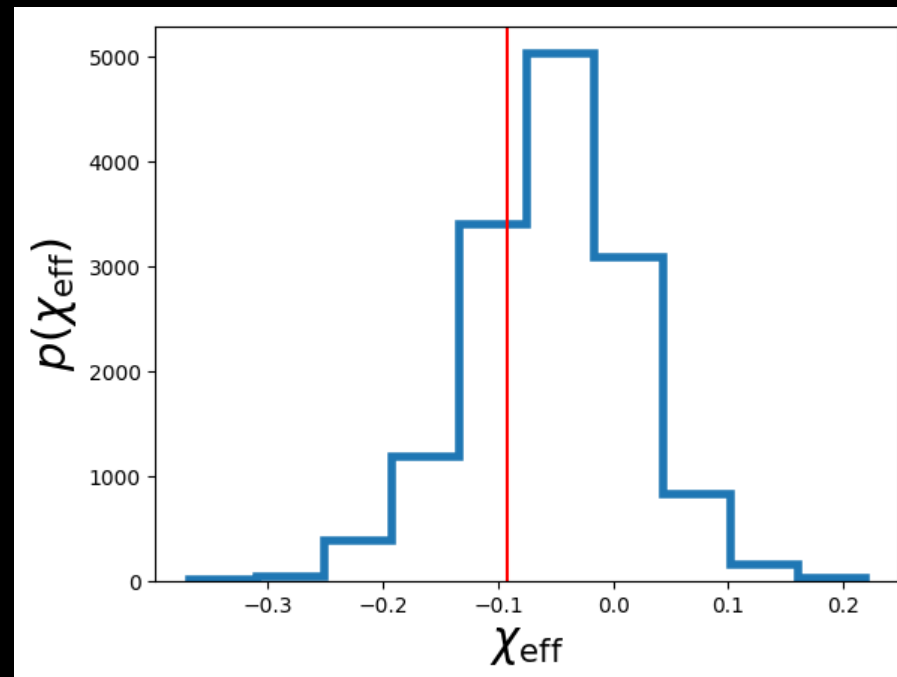
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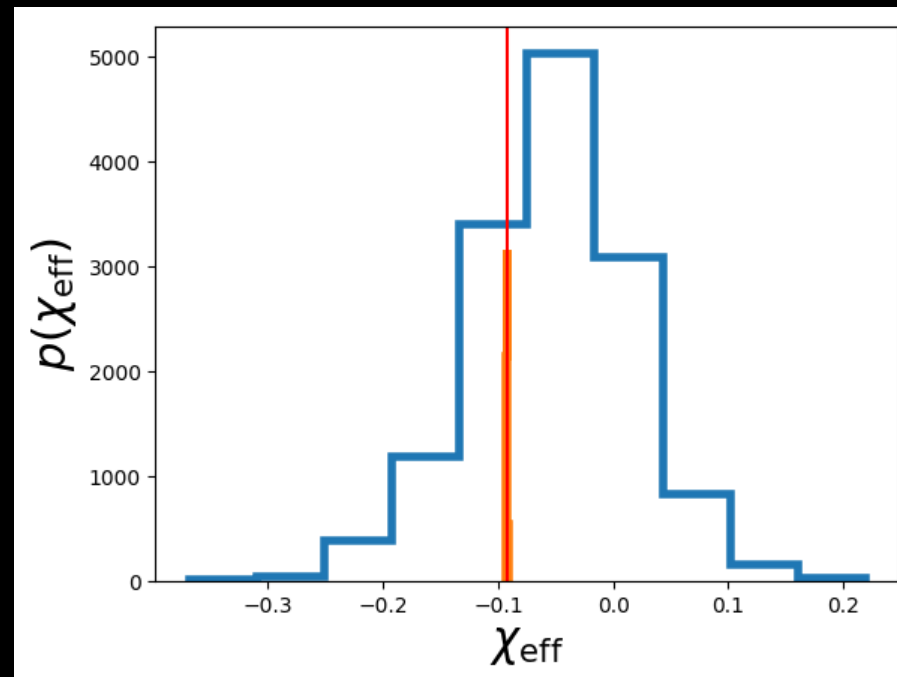
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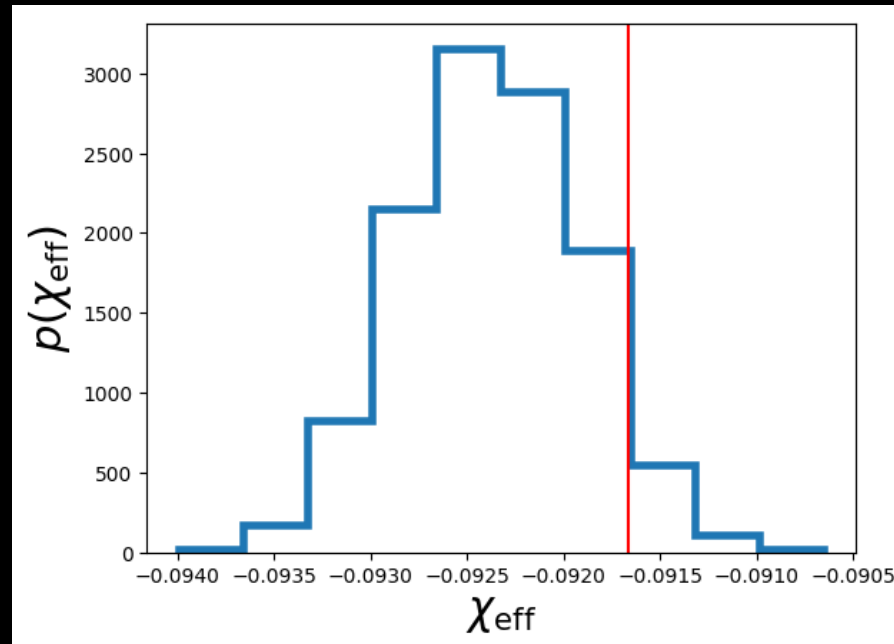


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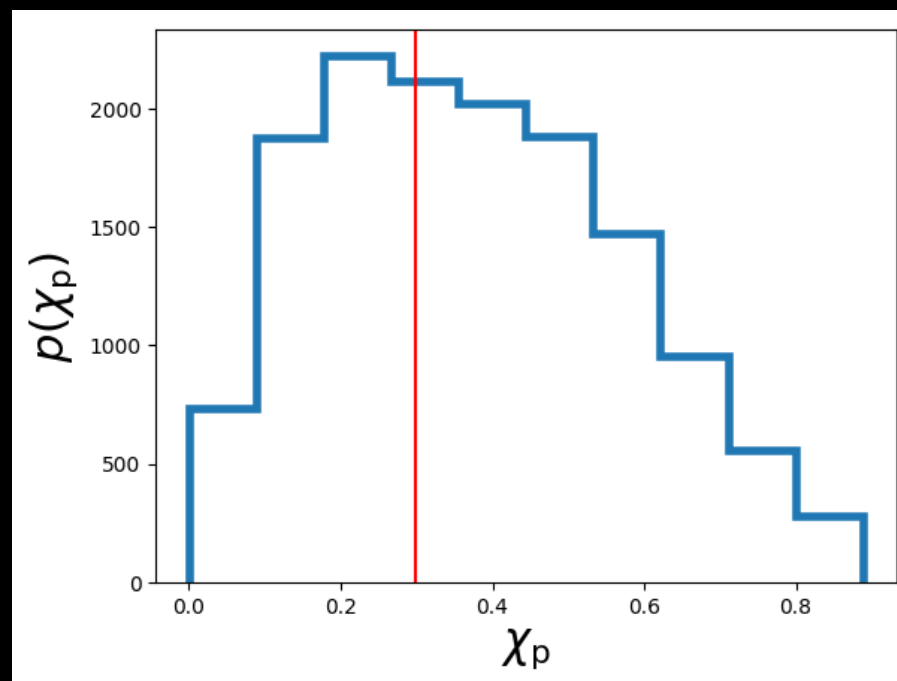


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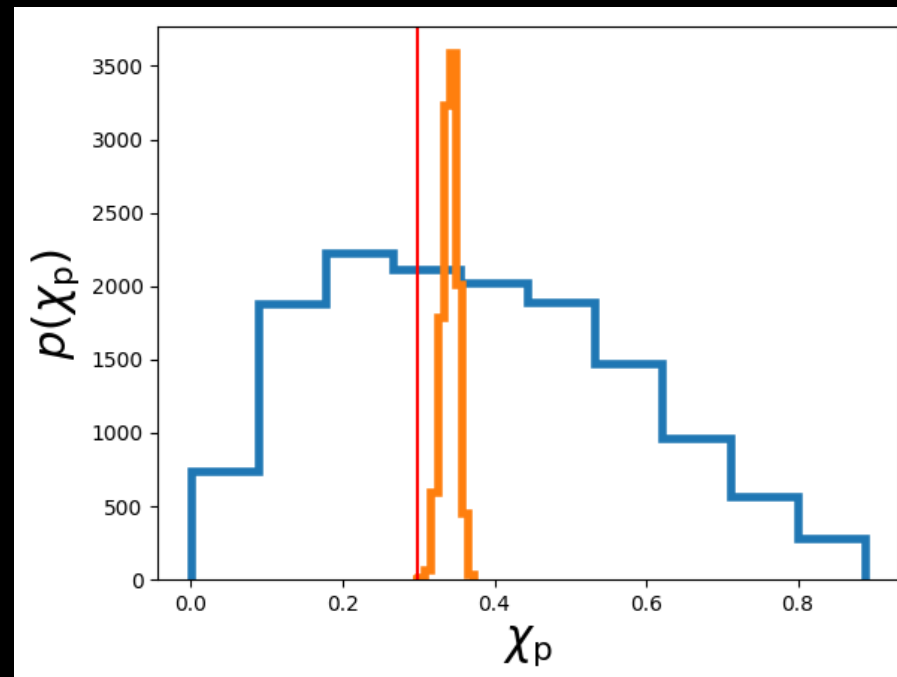
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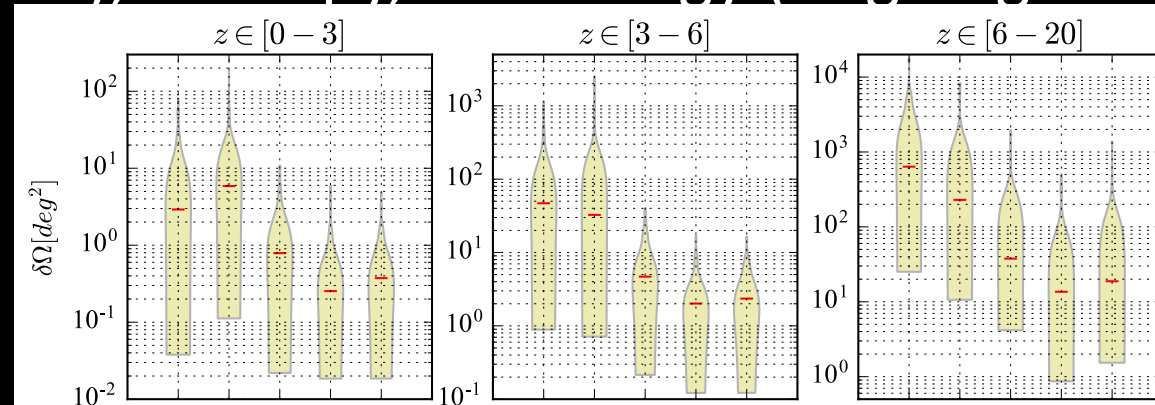
# Formation channels

- Many methods have been proposed to study the formation channels of BBH (and compact binaries in general)
  - Shown to work for 2G – local universe (Vitale+, Farr+, Talbot+)
- With 3G:
  - Study how the fraction of CBC from each channels evolve with redshift
  - Accessing thousands of BBH per year we can study the explosion mechanism of SNe

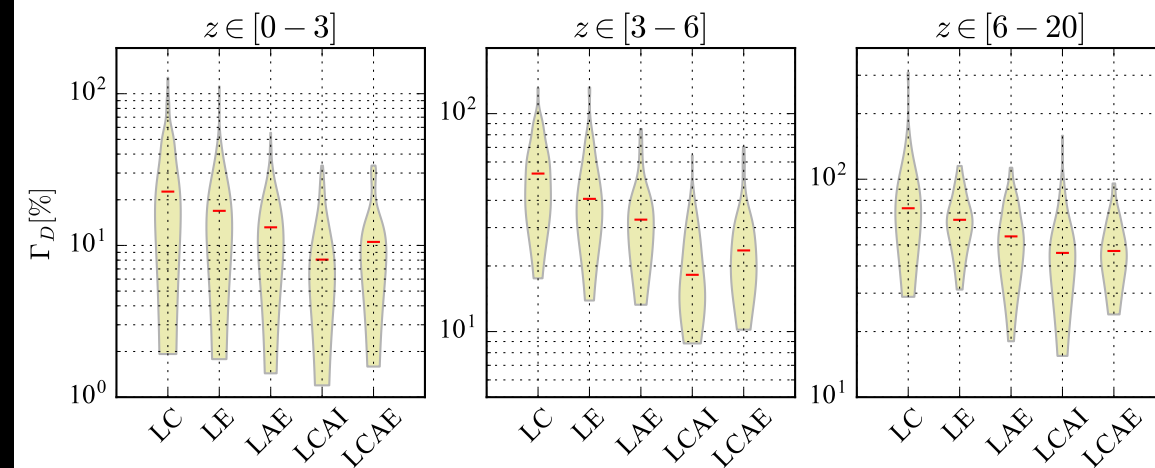
# Extrinsic parameters (3G)

- Precise distance and sky position:
  - EM (if luminous), isotropy, cosmology (ongoing work with Hsin-Yu Chen)

Sky location



Luminosity Distance

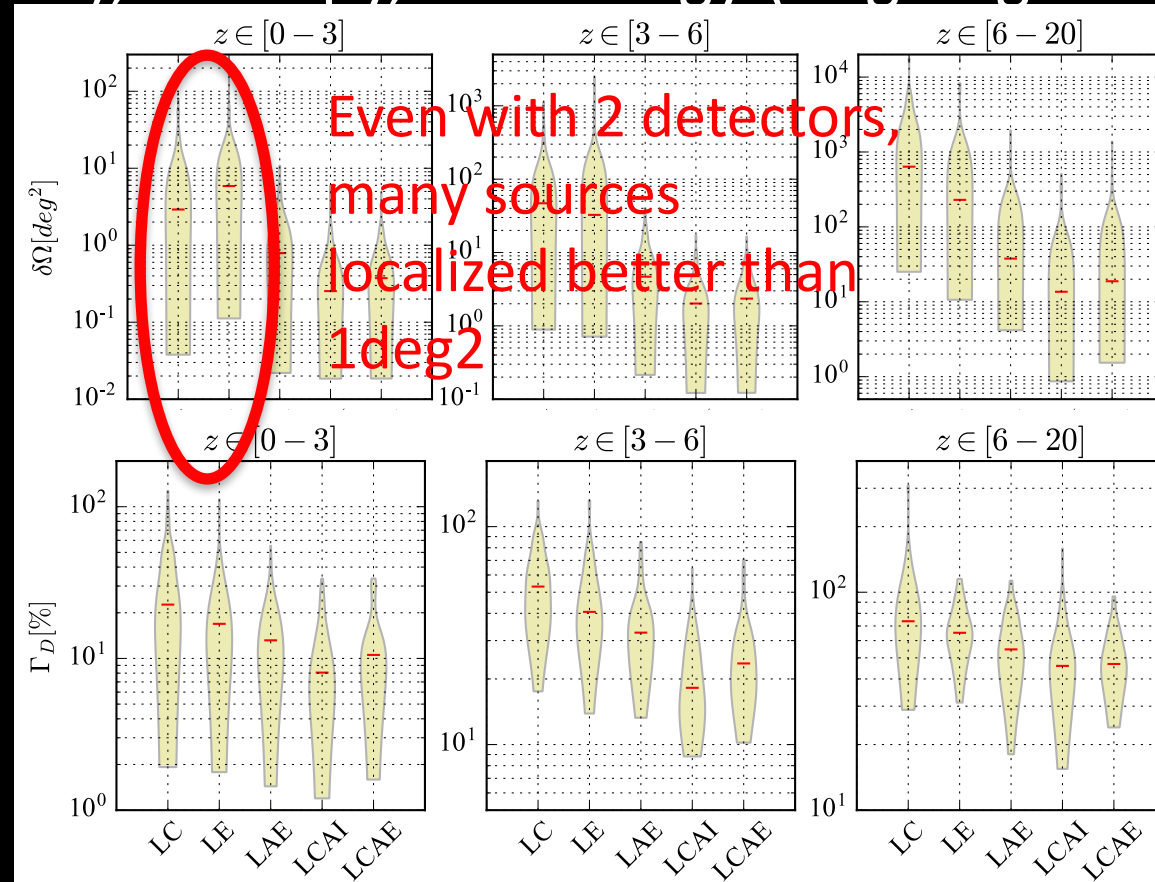


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Sky location

Luminosity Distance



# Cosmology

- To measure the cosmology one needs luminosity distance *and* redshift of the source

$$D_L(z) = \begin{cases} \frac{(1+z)}{\sqrt{\Omega_k}} \sinh\left[\sqrt{\Omega_k} \int_0^z \frac{dz'}{H(z')}\right] & \text{for } \Omega_k > 0 \\ (1+z) \int_0^z \frac{dz'}{H(z')} & \text{for } \Omega_k = 0 \\ \frac{(1+z)}{\sqrt{|\Omega_k|}} \sin\left[\sqrt{|\Omega_k|} \int_0^z \frac{dz'}{H(z')}\right] & \text{for } \Omega_k < 0 \end{cases}$$

$$H(z) = H_0 \sqrt{\Omega_m (1+z)^3 + \Omega_k (1+z)^2 + \Omega_\Lambda E(z, w(z))}$$

$$E(z, w(z)) = (1+z)^{3(1+w_0+w_1)} e^{-3w_1 z/(1+z)}$$

- The GW data analysis will provide the distance
- **How do we get the redshift?**

# How to measure the redshift?

- If the CBC produces an EM counterpart (e.g. GRB) (Sathyaprakash+ CQG 27 215006, Nissanke+ 1307.2638)
- If one knows the neutron star (NS) equation of state (Read & Messenger PRL 108 091101; Del Pozzo+ 1506.06590)
- If the post-merger signal is observed (Messenger+ PRX 4, 041004)
- If the shape of NS mass distribution is known (Taylor+ PRD 85 023535; Taylor & Gair PRD 86, 023502)
- Even if no EM is found, but there is a reliable galaxy catalog (Schutz, Nature 1986, Del Pozzo PRD 86 043011)

# Short GRBs

- Nissanke+ 1307.2638 looks at the prospects for 2G detectors
  - Assumes N joint GW+EM detections and look at measurement of  $H_0$ 
    - Statistical of few % with O(10) joint detections
    - Uncertainty in the rate and beaming angle -> could take months of decades
- Sathyaprakash+, CQG 27 215006, considers 3G (Einstein telescope)
  - Assumes  $10^{-3}$  of BNS will be detected with EM counterparts → 1000 joint detections over 3 years
  - $H_0$  assumed known
  - 1-sigma  $\Omega_M$  at 18%,  $\Omega_\Lambda$  at 4%, w 18%
  - Errors are smaller if weak lensing systematics can be corrected

# NS equation of state

- Proof of principle in Read and Messenger (PRL 108 091101)
- Full Bayesian analysis in Del Pozzo+ (1506.06590)
  - Einstein Telescope, 1000 BNS sources, no EM required
  - Considers different equation of state and estimate *all* cosmological parameters
    - $H_0$  with 90% confidence interval of  $\sim 10\%$
    - $\Omega_M$ :  $\sim 65\%$
    - $\Omega_\Lambda$ :  $\sim 40\%$
    - $w_0$  and  $w_1$ : 0.8 and 0.9 (factor of 3 better if the rest is known)



# Mass distribution

- Taylor+ (PRD 85 023535 and 86 023502) assume mass distribution for NS in BNS it is Gaussian with unknown mean and sigma
- Measure mass distribution parameters together with cosmology
  - 2G :  $H_0$  at 10% with  $\sim 100$  BNS if true mass distribution sigma  $< 0.04M_{\odot}$
  - 3G: All known except DE. Precision comparable with EM with  $10^5$  BNS

# Statistical approach

- For each GW detection, just use all galaxies in 3D sky error
- Del Pozzo (1108.1317) finds for 2G:
  - $H_0$  at 15% (95% CI) with 10 sources. Better if more than 3 interferometers online or more detections.
  - Omega's unmeasurable with 50 sources
  - Did not consider DE
- 3G: Ongoing...

## Planck 2015 results. XIII. Cosmological parameters

Planck Collaboration: P. A. R. Ade, N. Aghanim, M. Arnaud, M. Ashdown, J. Aumont, C. Baccigalupi, A. J. Banday, R. B. Barreiro, J. G. Bartlett, N. Bartolo, E. Battaner, R. Battye, K. Benabed, A. Benoit, A. Benoit-Lévy, J.-P. Bernard, M. Bersanelli, P. Bielewicz, J. J. Bock, A. Bonaldi, L. Bonavera, J. R. Bond, J. Borrill, F. R. Bouchet, F. Boulanger, M. Bucher, C. Burigana, R. C. Butler, E. Calabrese, J.-F. Cardoso, A. Catalano, A. Challinor, A. Chamballu, R.-R. Chary, H. C. Chiang, J. Chluba, P. R. Christensen, S. Church, D. L. Clements, S. Colombi, L. P. L. Colombo, C. Combet, A. Coulais, B. P. Crill, A. Curto, F. Cuttaia, L. Danese, R. D. Davies, R. J. Davis, P. de Bernardis, A. de Rosa, G. de Zotti, J. Delabrouille, F.-X. Desert, E. Di Valentino, C. Dickinson, J. M. Diego, K. Dolag, H. Dole, et al. (202 additional authors not shown)

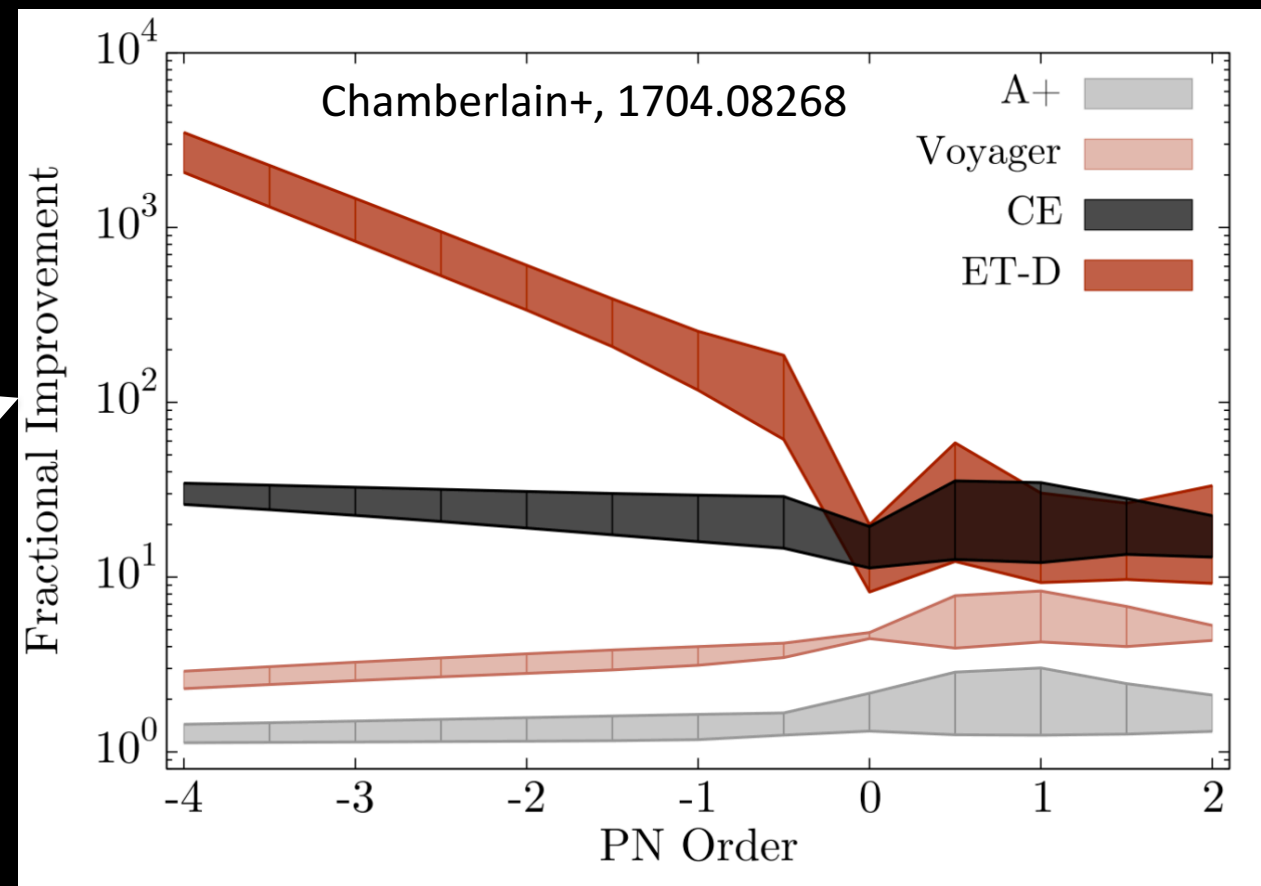
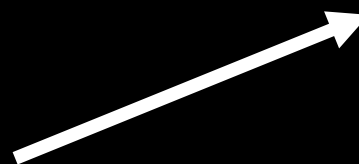
*(Submitted on 5 Feb 2015 (v1), last revised 17 Jun 2016 (this version, v3))*

We present results based on full-mission Planck observations of temperature and polarization anisotropies of the CMB. These data are consistent with the six-parameter inflationary  $\Lambda$ CDM cosmology. From the Planck temperature and lensing data, for this cosmology we find a Hubble constant,  $H_0 = (67.8 \pm 0.9)$  km/s/Mpc, a matter density parameter  $\Omega_m = 0.308 \pm 0.012$  and a scalar spectral index with  $n_s = 0.968 \pm 0.006$ . (We quote 68% errors on measured parameters and 95% limits on other parameters.) Combined with Planck temperature and lensing data, Planck LFI polarization measurements lead to a reionization optical depth of  $\tau = 0.066 \pm 0.016$ . Combining Planck with other astrophysical data we find  $N_{\text{eff}} = 3.15 \pm 0.23$  for the effective number of relativistic degrees of freedom and the sum of neutrino masses is constrained to  $< 0.23$  eV. Spatial curvature is found to be  $|\Omega_K| < 0.005$ . For  $\Lambda$ CDM we find a limit on the tensor-to-scalar ratio of  $r < 0.11$  consistent with the B-mode constraints from an analysis of BICEP2, Keck Array, and Planck (BKP) data. Adding the BKP data leads to a tighter constraint of  $r < 0.09$ . We find no evidence for isocurvature perturbations or cosmic defects. The equation of state of dark energy is constrained to  $w = -1.006 \pm 0.045$ . Standard big bang nucleosynthesis predictions for the Planck  $\Lambda$ CDM cosmology are in excellent agreement with observations. We investigate annihilating dark matter and deviations from standard recombination, finding no evidence for new physics. The Planck results for base  $\Lambda$ CDM are in agreement with BAO data and with the JLA SNe sample. However the amplitude of the fluctuations is found to be higher than inferred from rich cluster counts and weak gravitational lensing. Apart from these tensions, the base  $\Lambda$ CDM cosmology provides an excellent description of the Planck CMB observations and many other astrophysical data sets.

# Tests of general relativity

- Larger SNR and better low frequency will yield dramatic improvements

$$\frac{\text{Uncertainty w/ detector X}}{\text{Uncertainty w/ aLIGO}}$$



# How many events?

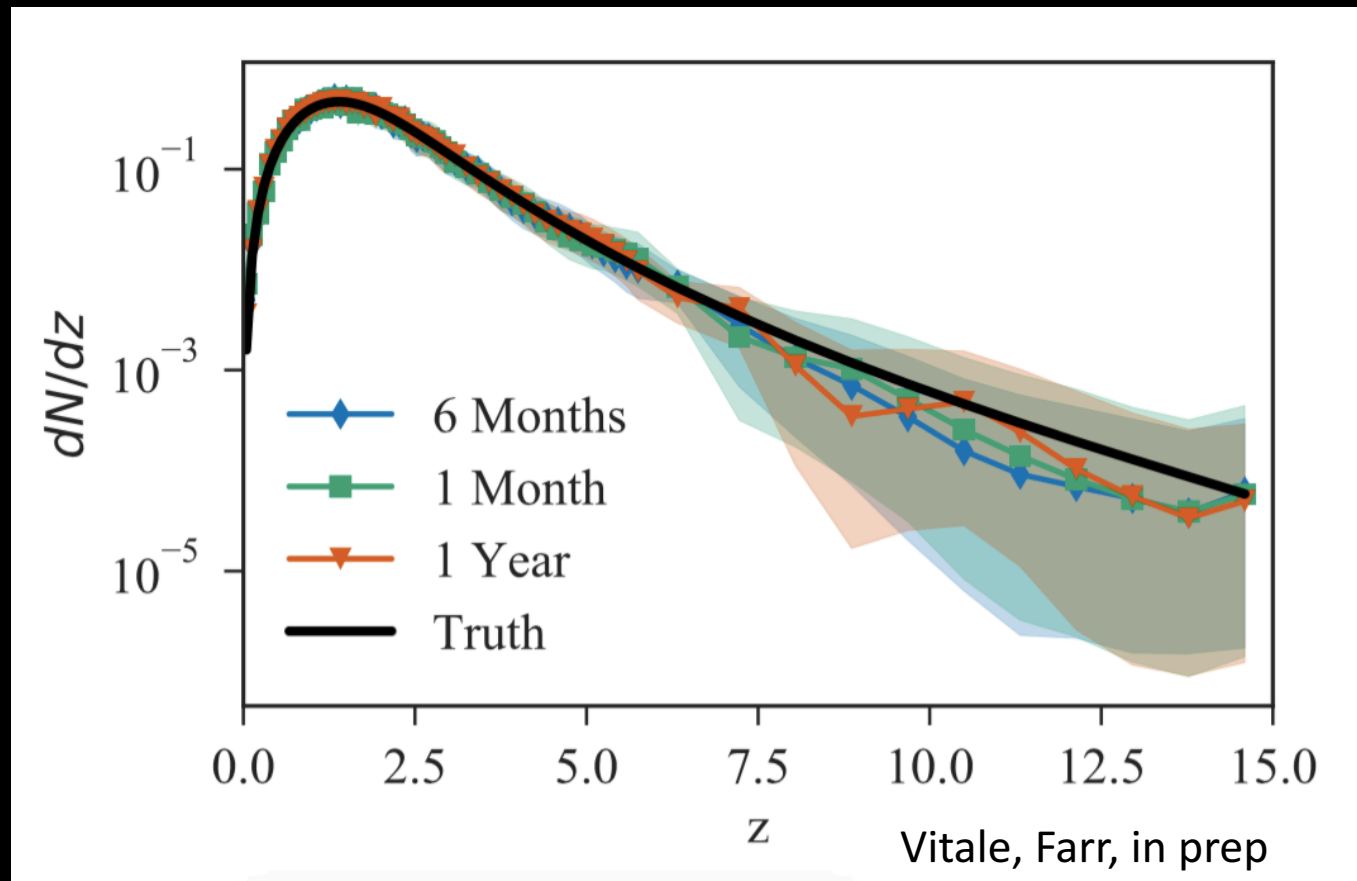
- Using the rates calculated after GW170104
  - $\sim 10^5$  BBH coalesce in the universe per year
- With 3G detectors, we will detect 99.9% of them (Regimbau+, PRL 118, 151105)

# Merger rate density

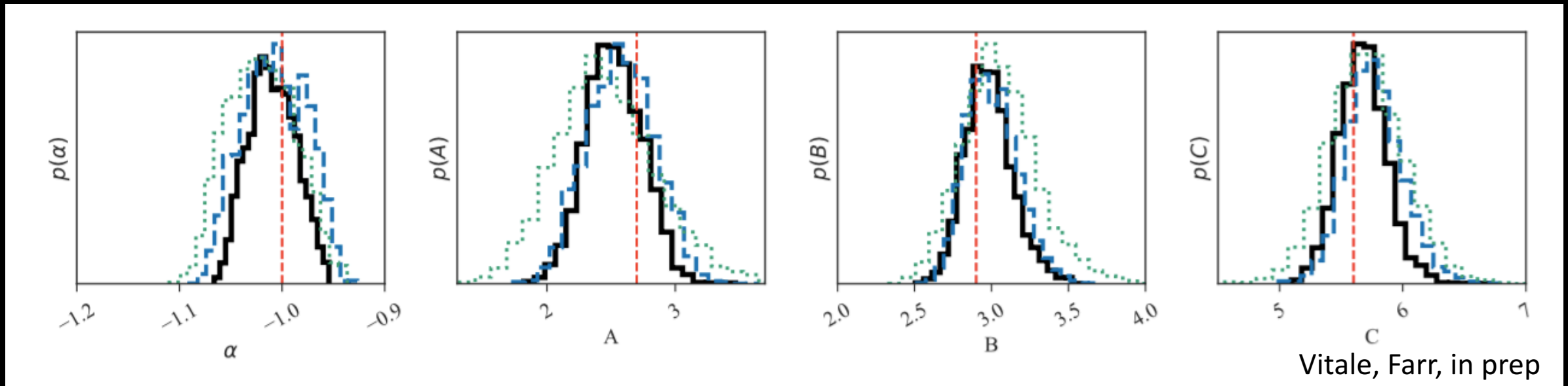
- We can calculate the merger rate as a function of redshift
- Generate 1, 6, 12 months worth of BBH detections by 3G detectors
  - Assume Madau-Dickinson star formation rate (SFR)
  - Assume time delay between merger and formation goes as  $1/t$
  - Formation rate proportional to SFR

# Merger rate density

- Merger rate density can be reconstructed after only 1 month of detections



- Can measure the time delay power law coefficient and well as the parameters of the SFR



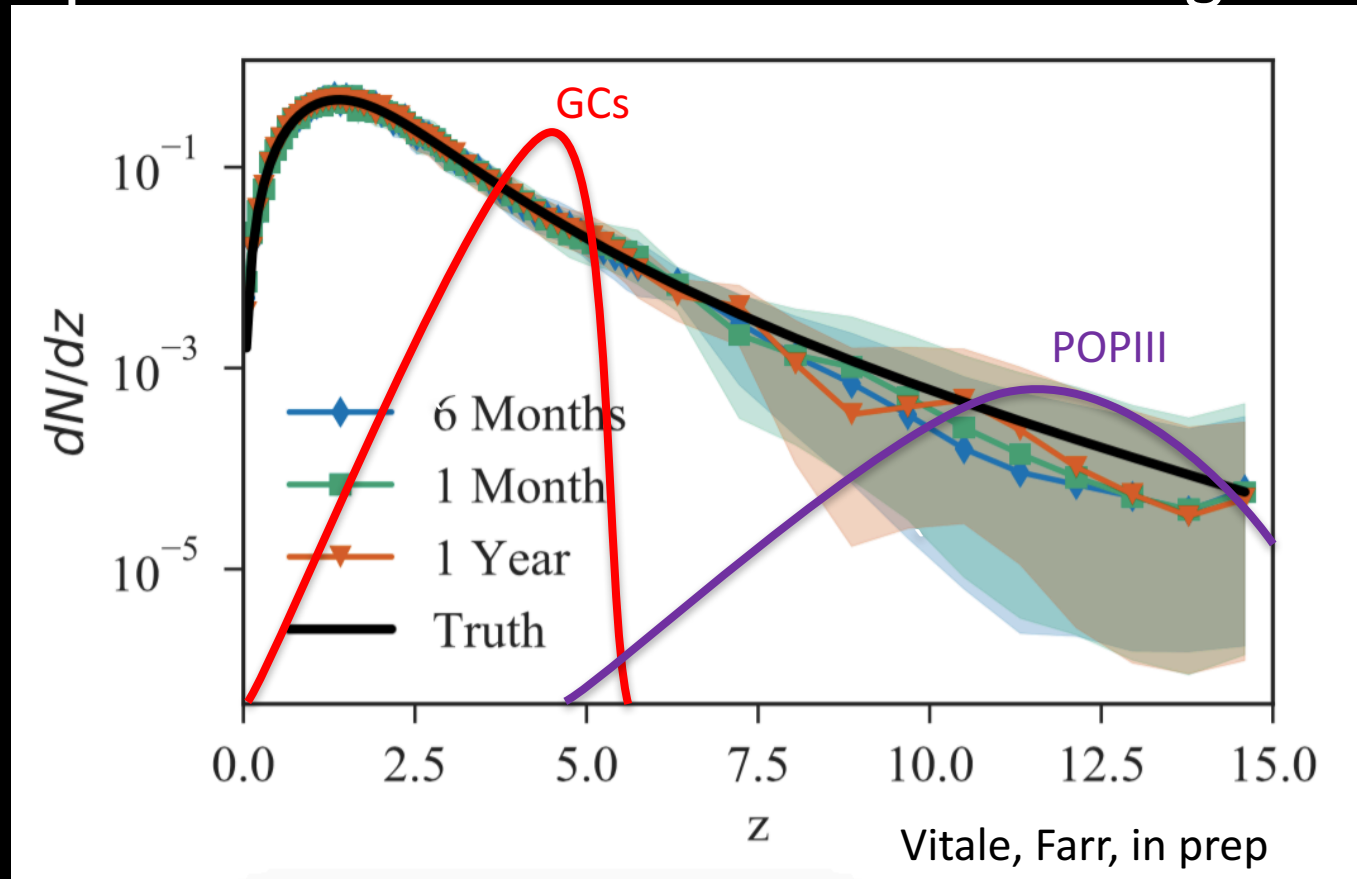
SFR template:

$$\psi_{MD}(z) = \nu \frac{(1+z)^A}{\left(1 + \frac{1+z}{B}\right)^C}$$



# Formation channels

- Depending on relative abundances, might be able to distinguish populations and calculate branching ratios



# Conclusions

- Advanced detectors will explore the local universe ( $z \sim 1$ ) and characterize black holes
- A new generation is required to detect BH everywhere in the universe
  - Characterization of BH masses and spins
  - Precise tests of general relativity
  - Access to BH throughout cosmic history
  - Cosmology